

# Magnetic Reconnection at the Dayside Magnetopause

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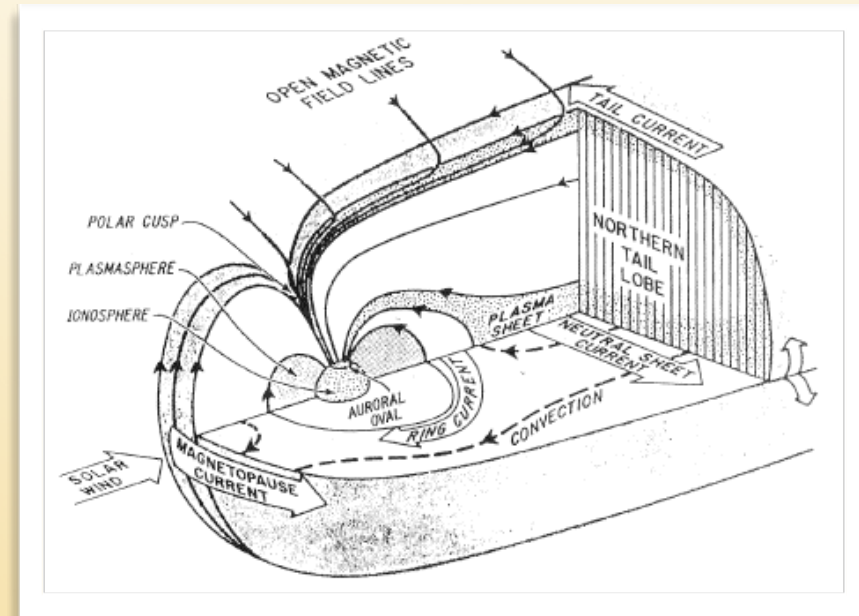


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# Reconnection @ Dayside Magnetopause

- Allows the solar wind to couple to the magnetosphere
  - Crucial for space weather (e.g., Cassak, Space Weather, 2016)
    - Drives magnetospheric convection
    - Loads magnetotail with energy

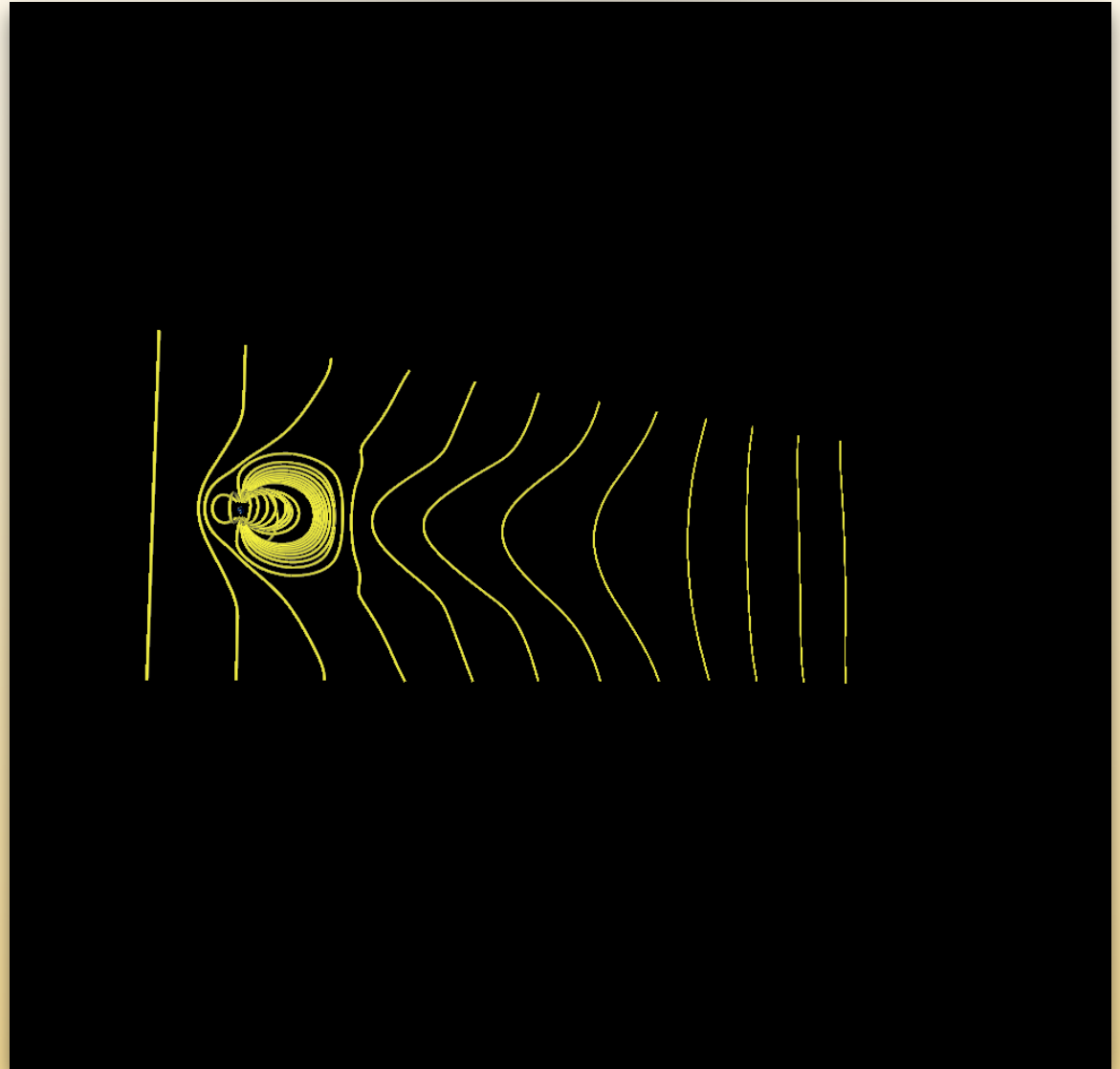
Developing a predictive capability for space weather requires an understanding of how reconnection participates in solar wind-magnetospheric coupling



After C. Russell

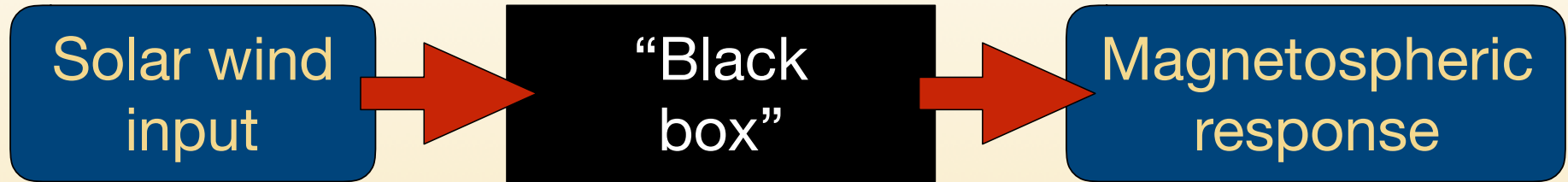
# Reconnection @ Dayside Magnetopause

- Animation of solar wind-magnetospheric coupling
  - From global magnetospheric magnetohydrodynamic simulations using BATS-R-US code at NASA's CCMC
- Northward IMF
  - Reconnection occurs poleward of the cusps
    - Very weak coupling of solar wind energy to magnetosphere
- Southward IMF
  - Reconnection occurs in the subsolar region
    - Coupling of solar wind energy to magnetosphere is strong
      - Sets up Dungey cycle



# Solar Wind-Magnetospheric Coupling

- Can think of solar wind-magnetospheric coupling as flow chart



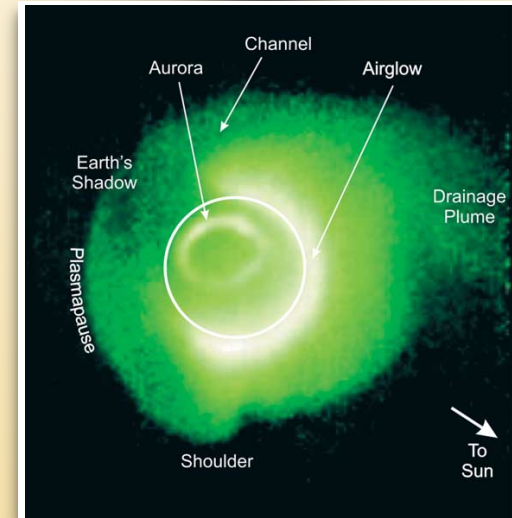
- The black box is a nonlinear process
  - Likely also history dependent
    - The black box contains reconnection, large (MHD) scale processes, ...
- Approaches to solve the problem
  - Empirical (e.g., Newell et al., 2007)
    - Use wealth of data to relate input to response
  - First-principles (e.g., Borovsky, 2008)
    - Understand the physics of the black box

Empirical approach has many merits and a long history;  
this talk focuses on first-principles approach



# First Principles

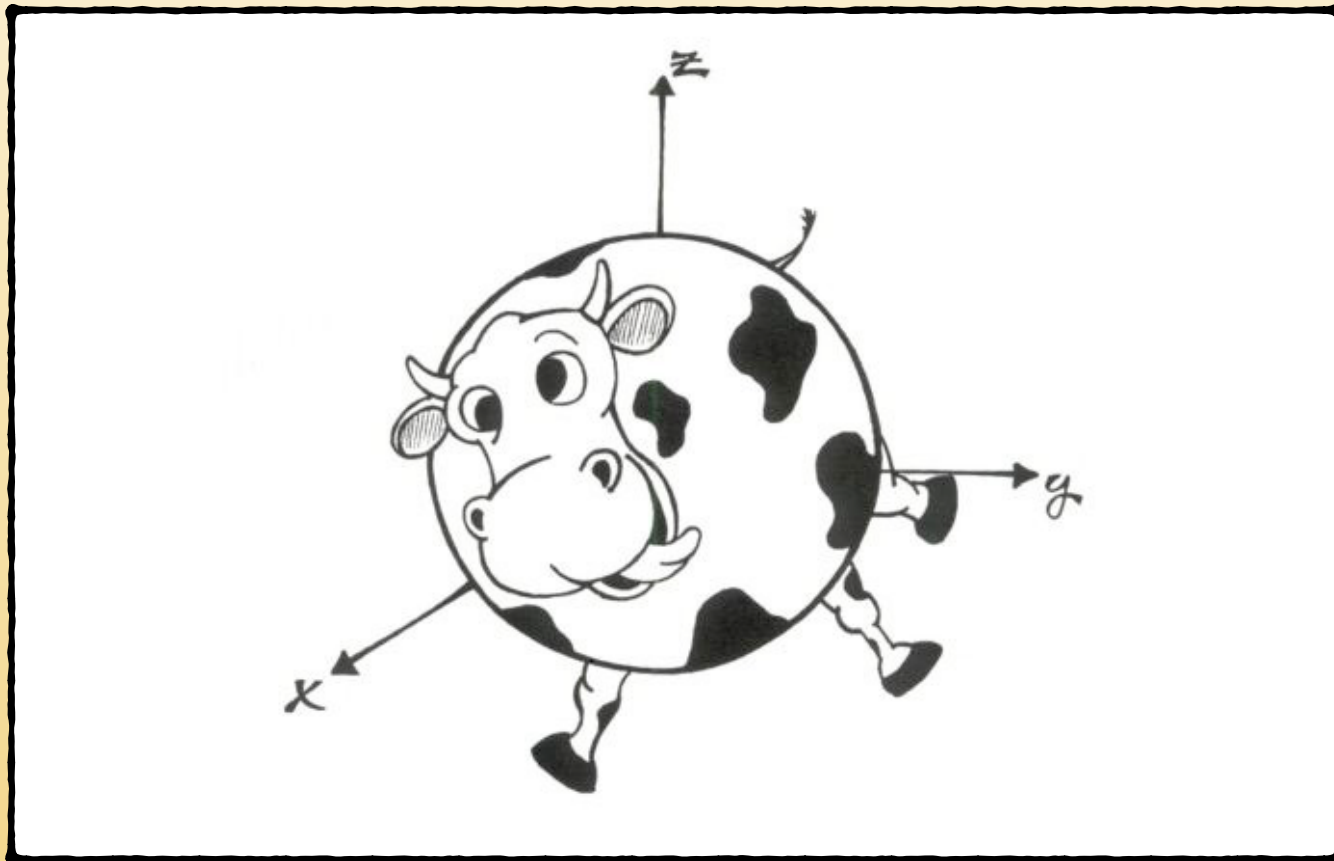
- The goal - predict magnetospheric response for given solar wind input
  - What does a prediction even look like?
    - Likely depends on what geomagnetic index is of interest
      - Undoubtedly, the rate that dayside reconnection proceeds is important
        - » Quantified by a global reconnection potential drop or a local reconnection electric field
- Very complicated!
  - Example - changes to the solar wind changes the size/shape of entire magnetosphere!
  - Must address the question of “global vs. local” control of reconnection
    - It was long thought that the amount and rate of flux reconnected at dayside is controlled (solely) by input from the solar wind (up to saturation of polar cap)
    - Borovsky and Denton, 2006 showed geomagnetic indices are altered when a plasmaspheric plume (pictured) reaches the dayside reconnection site
    - Mass loading the magnetosphere decreases coupling efficiency (Zhang et al., 2016)
- This talk
  - Efforts to predict local reconnection rate in idealized geometry for dayside magnetopause conditions
  - Efforts to determine whether these simplified models work at the 3D magnetopause
    - Theory, 2D local reconnection simulations with fluid and PIC models, 3D magnetospheric fluid simulations
    - May have impact on other magnetopause phenomena, including FTE motion



Sandel et al., 2003

# The Reconnection Rate

- The local reconnection rate in a collisionless plasma is known (but not understood)
  - $E \sim 0.1$  in normalized units,  $E \sim 0.1 B_L c_{A,L} / c$  in dimensional (cgs) units
    - Assumptions - steady, two-dimensional, symmetric, anti-parallel, stationary plasma



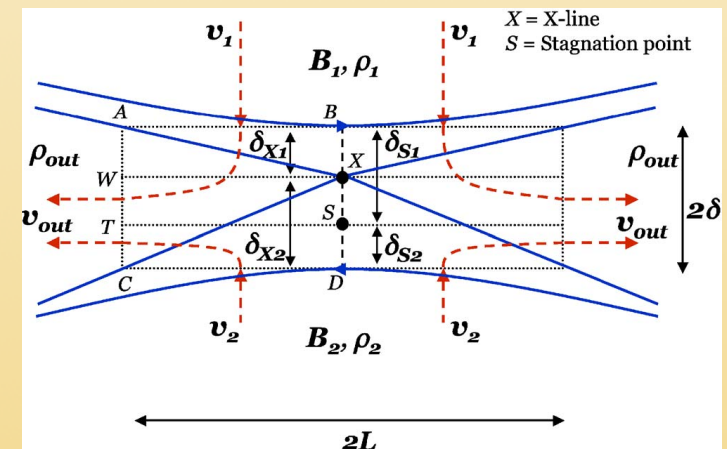
# The Dayside

- Magnetopause conditions rarely satisfy these simplifying assumptions
  - Magnetosheath side has typical conditions of  
 $n_{sh} \sim 20 \text{ cm}^{-3}$ ,  $B_{sh} \sim 20 \text{ nT}$ ,  $T_{i,sh} \sim 10\text{s-}100\text{s eV}$ ,  $v_{sh} \sim 100 \text{ km/s}$
  - Magnetospheric side has typical conditions of  
 $n_{ms} \sim 0.1 \text{ cm}^{-3}$ ,  $B_{ms} \sim 56 \text{ nT}$ ,  $T_{i,ms} \sim \text{a few keV}$ ,  $v_{ms} \sim 0 \text{ km/s}$ 
    - Reconnection takes place at a locally asymmetric plasma, with one side potentially in motion
- How to generalize local reconnection rate prediction for such systems?
  - First consider asymmetry, but retain other assumptions
    - Can use conservation laws to predict reconnection rate (Cassak and Shay, 2007)

$$E \sim 0.1 \left( \frac{2B_{L,1}B_{L,2}}{B_{L,1} + B_{L,2}} \right) \frac{c_{A,asym}}{c}$$

$$c_{A,asym}^2 \sim \frac{B_{L,1}B_{L,2}}{4\pi} \frac{B_{L,1} + B_{L,2}}{\rho_1 B_{L,2} + \rho_2 B_{L,1}}$$

- Has been well-tested numerically in 2D systems with simple geometries



Cassak and Shay, 2007

# Effect of Magnetosheath Flow?

- Had been studied before, but mostly for symmetric reconnection (focus on component along reconnecting field)

- Reconnection site (X-line) is stationary
- Can lead to Kelvin-Helmholtz instability, especially at the flanks
- Can suppress reconnection completely

- Symmetric reconnection is suppressed if

$$v_{\text{shear}}^2 > c_A^2$$

$$\text{where } v_{\text{shear}} = (v_{\text{sh,L}} - v_{\text{ms,L}}) / 2$$

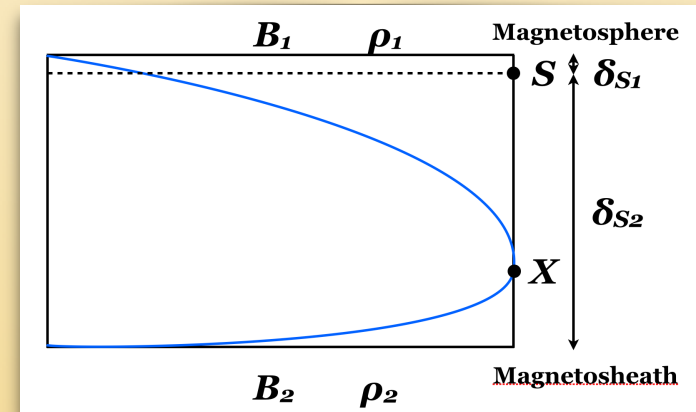
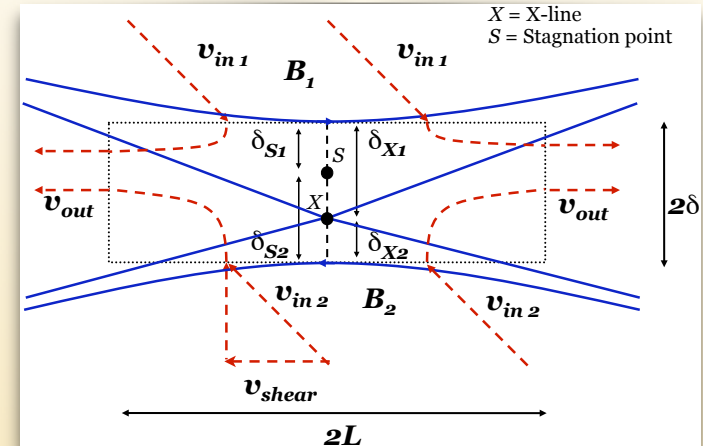
- When not suppressed, it slows reconnection (Cassak and Otto, 2011)

$$E_{\text{shear,sym}} \sim E_0 \left( 1 - \frac{v_{\text{shear}}^2}{c_A^2} \right)$$

- Not much work done on effect of flow on asymmetric reconnection (La Belle-Hamer et al., 1995; Tanaka et al., 2010)

- It turns out that asymmetries play an important role in how flow affects asymmetric reconnection (Doss et al., 2015)

- The X-point and stagnation point are not in the center of the dissipation region (Cassak and Shay, 2007)
  - Related to balance of mass and energy flux
- For typical magnetopause conditions, the large density asymmetry implies:
  - X-point is on magnetosheath side, stagnation point is far on magnetosphere side



Doss et al., 2015

This has important and unexpected effects on the reconnection process

# Flow Makes Reconnection Site Move

- Asymmetries imply that X-line can drift even if flow is equal and opposite!
- In a steady-state, conservative form of momentum equation is

$$\oint d\mathbf{S} \cdot \left[ \rho \mathbf{v} \mathbf{v} + \left( P + \frac{B^2}{8\pi} \right) \mathbf{I} - \frac{\mathbf{B} \mathbf{B}}{4\pi} \right] = 0$$

- Evaluate x-component ( $L$  in boundary normal coordinates) on all four sides:

$$2L_d \rho_1 [v_{in,1} (v_{L,1} - v_{drift})] + 2L_d \rho_2 [v_{in,2} (v_{L,2} - v_{drift})] \sim 0$$

- Solve for  $v_{drift}$ , using  $v_{in,1} B_{L,1} \sim v_{in,2} B_{L,2}$ :

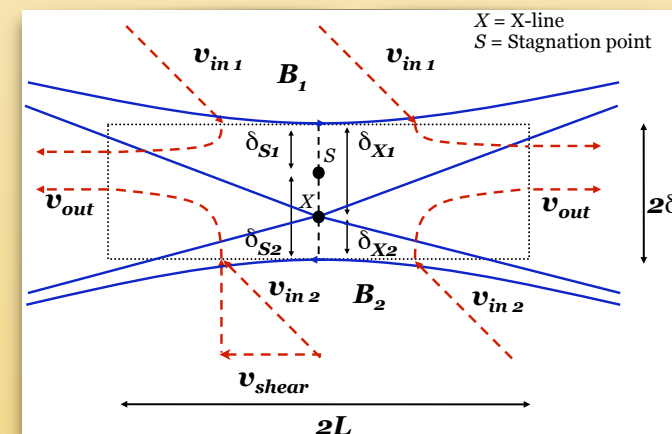
$$v_{drift} \sim \frac{\rho_1 B_{L,2} v_{L,1} + \rho_2 B_{L,1} v_{L,2}}{\rho_1 B_{L,2} + \rho_2 B_{L,1}}$$

- Note - assumes X-line is “isolated,” i.e., not influenced by other effects

- The prediction does *not* mean all dayside reconnection sites should be flying downtail!

- What is the physics?

- The upstream plasmas carry momentum in  $L$  direction
- The side away from the stagnation point contributes more to the momentum of the dissipation region
  - Weighted in relation to its mass flux  $\rho v_{in} \sim \rho / B_L$



# The Reconnection Rate

- The reconnection rate is slowed by flow shear due to the momentum of the upstream plasma working against the tension of the reconnected field line
  - Analogous to suppression of reconnection by diamagnetic drift effects (Swisdak et al., 2003)

- For asymmetric reconnection, the outflow speed in the absence of flow shear (due to field line tension) is

$$c_{A,asym}^2 \sim \frac{B_{L,1}B_{L,2}}{4\pi} \frac{B_{L,1} + B_{L,2}}{\rho_1 B_{L,2} + \rho_2 B_{L,1}}$$

- In asymmetric reconnection, the offset of the stagnation point means that upstream plasmas do not impede the flow equally; see the diagram. Therefore, we expect

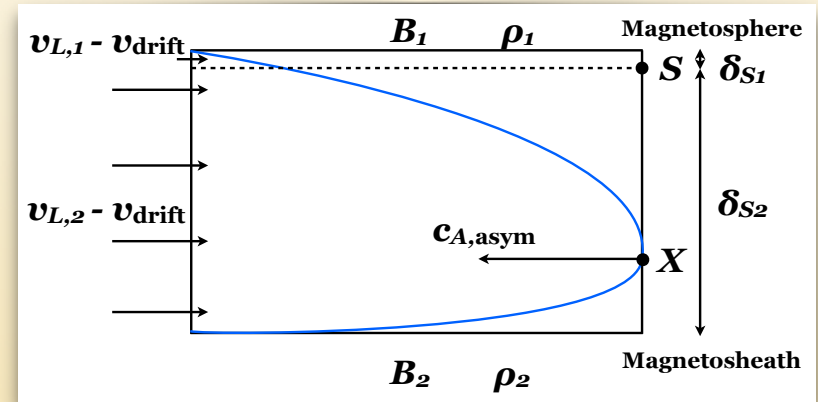
$$v_{out}^2 \sim c_{A,asym}^2 - \frac{\delta_{S1}}{2\delta} (v_{L,1} - v_{drift})^2 - \frac{\delta_{S2}}{2\delta} (v_{L,2} - v_{drift})^2$$

- Using the expression for  $v_{drift}$  from before and some algebra gives

$$v_{out}^2 \sim c_{A,asym}^2 - (v_{L,1} - v_{L,2})^2 \frac{\rho_1 B_{L,2} \rho_2 B_{L,1}}{(\rho_1 B_{L,2} + \rho_2 B_{L,1})^2}$$

- We expect the reconnection rate to generalize the symmetric result as

$$E_{shear,asym} \sim E_{asym,0} \left( 1 - \frac{v_{shear}^2}{c_{A,asym}^2} \frac{4\rho_1 B_{L,2} \rho_2 B_{L,1}}{(\rho_1 B_{L,2} + \rho_2 B_{L,1})^2} \right)$$



# Condition for Suppression via Flow

- From the expression for the reconnection rate, the condition for suppression of reconnection by flow shear ( $E_{\text{shear,asym}} \rightarrow 0$ ) is

$$v_{\text{shear,crit}} \sim c_{A,\text{asym}} \frac{\rho_1 B_{L,2} + \rho_2 B_{L,1}}{2(\rho_1 B_{L,2} \rho_2 B_{L,1})^{1/2}}$$

- Related to the asymmetric outflow speed, but it is always larger!

- The physics (at Earth's magnetosphere)

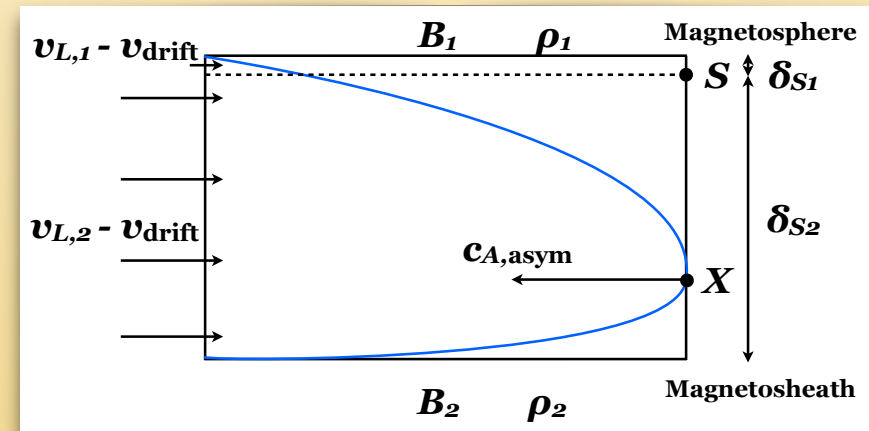
- The stagnation point is almost all the way to the magnetospheric side of dissipation region
- The X-line moves essentially with the magnetosheath flow;
  - In the reference frame of the X-line, the magnetosheath is almost stationary, and the magnetosphere moves at the solar wind speed, but the density of the magnetosphere is so small that there is almost no effect!

- Consider magnetospheric parameters ( $\rho_{\text{ms}} \gg \rho_{\text{sh}}$ )

- Critical speed for suppression is

$$v_{L,sh} > c_{A,\text{asym}} \left( \frac{\rho_{sh} B_{ms}}{\rho_{ms} B_{sh}} \right)^{1/2}$$

- For event with  $B_{sh} \sim 10\text{-}15$  nT,  $n_{sh} \sim 60\text{-}70$  cm<sup>-3</sup>,  $B_{ms} \sim 60$  nT,  $n_{ms} \sim 0.5$  cm<sup>-3</sup> (Wilder et al., JGR, 2014), this implies critical magnetosheath flow of 22 x the asymmetric Alfvén speed!!!
- Much more difficult for flow shear to suppress asymmetric reconnection (of an isolated X-line) than thought!





# Testing Theory with Simulations

- We have tested the predictions in simulations with both two-fluid (Doss et al., JGR, 2015) and particle-in-cell (Doss et al., in prep.)

- Two-fluid simulations with F3D (Shay et al., 2004)

- Adiabatic ions, cold electrons
- 2D,  $204.8 \times 102.4 d_i$ , grid 0.05, electron mass 1/25
- Simulations with  $B_{L,1} = 3$ ,  $B_{L,2} = 1$  with symmetric density ( $\rho = 1$ ) and  $\rho_1 = 1$ ,  $\rho_2 = 3$  for symmetric magnetic fields ( $B_L = 1$ ), varying flow shear

- PIC simulations with P3D (Zeiler et al., 2002)

- 2D, electron mass 1/25
- Simulations with  $B_{L,1} = 1.5$ ,  $B_{L,2} = 0.5$  with symmetric density ( $\rho = 0.2$ ) with  $204.8 \times 102.4 d_i$ , grid 0.025, varying flow shear
- Series of simulations with  $\rho_1 = 0.6$ ,  $\rho_2 = 0.2$  for symmetric magnetic field ( $B_L = 1$ ) with  $102.4 \times 51.2 d_i$ , grid 0.05, varying flow shear

- Also did simulations with representative magnetopause conditions

- PIC simulations with  $B_{L,1} = 1.0$ ,  $B_{L,2} = 2.0$ ,  $\rho_1 = 1.0$ ,  $\rho_2 = 0.1$ ,  $v_1 = 1.0$  (“1” = sheath, “2” = sphere)
- Movie shows out-of-plane current, middle is “magnetosphere,” top/bottom are “magnetosheath”

- Measured scaling of reconnection rate  $E$  with  $v_{\text{shear}}$

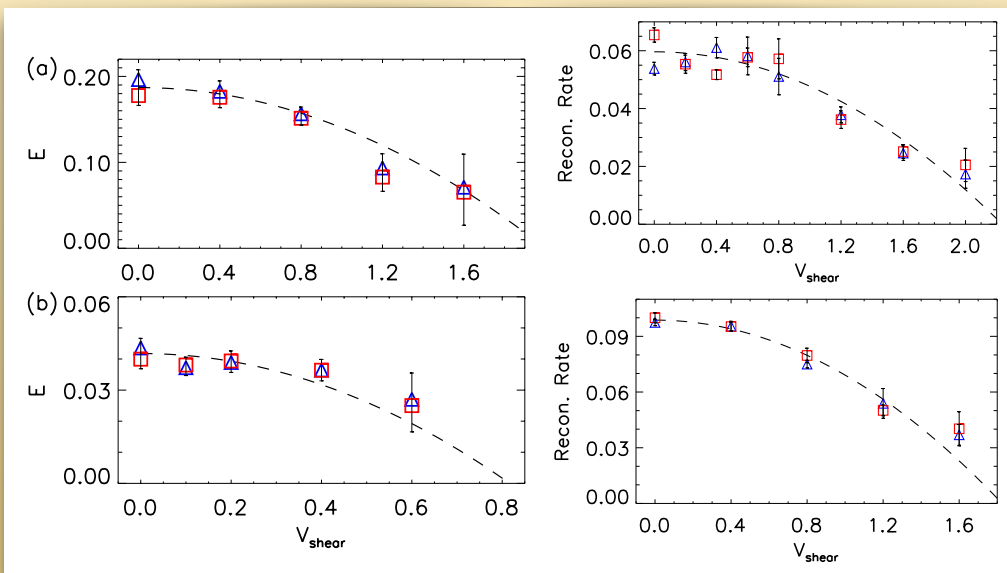
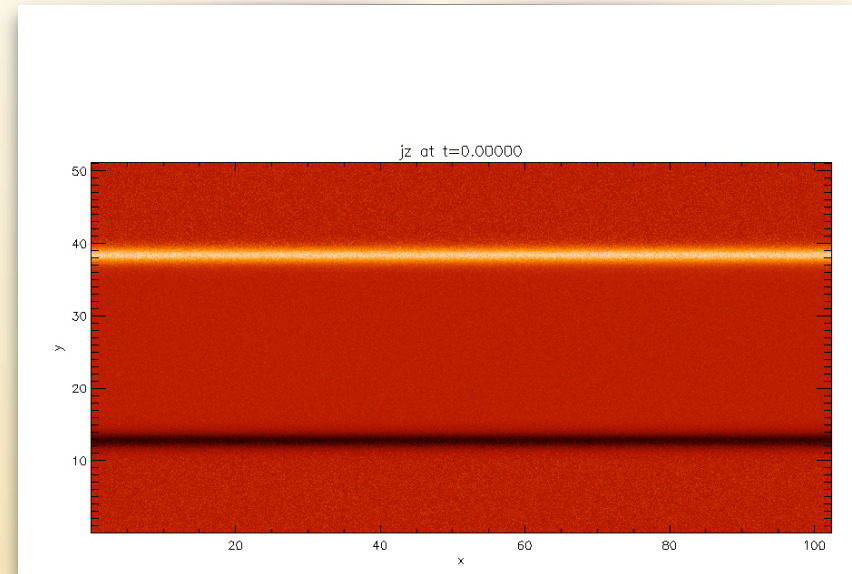
- Red boxes/blue triangles are data from two current sheets

- Two-fluid: (top left)  $B_1 = 3$ ,  $B_2 = 1$ , (bottom left)  $\rho_1 = 1$ ,  $\rho_2 = 3$

- PIC: (top right)  $B_1 = 1.5$ ,  $B_2 = 0.5$ , (bottom right)  $\rho_1 = 0.6$ ,  $\rho_2 = 0.2$

- Dashed line is from prediction (using measured  $E_0$ )

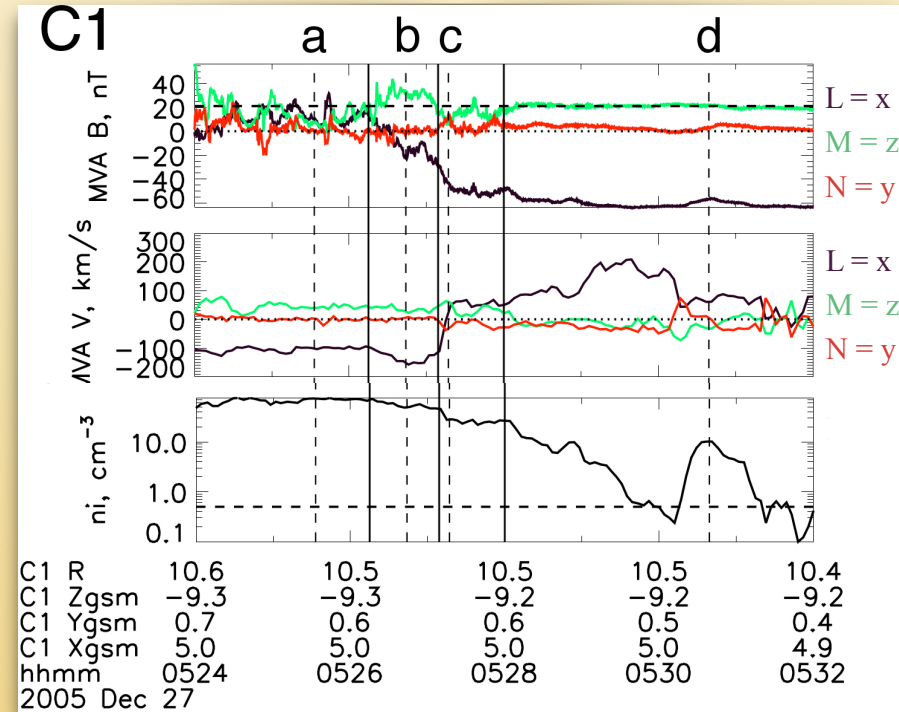
- Suppression condition consistent too!





# Comparison to Cluster Observations

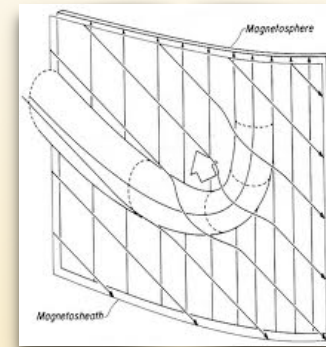
- Wilder et al., JGR (2014) observed an event near the cusp at the southern hemisphere with Cluster
  - C1 sees a reconnection event moving tailward, then C3 later sees the same event
    - From their separation and time delay, can determine how fast X-line is retreating
      - Estimate of convection speed is 105 km/s
    - L component of solar wind speed is 106 km/s
- Magnetosheath parameters are  $B_{sh} \sim 10\text{-}15\text{ nT}$ ,  $n_{sh} \sim 60\text{-}70\text{ cm}^{-3}$ , magnetospheric parameters are  $B_{ms} \sim 60\text{ nT}$ ,  $n_{ms} \sim 0.5\text{ cm}^{-3}$ 
  - The theory predicts nearly identical  $v_{drift}$  and  $v_{L,sh}$ 
    - Consistent with observations!
  - For these parameters,  $c_{A,sh} \sim 28\text{ km/s}$ ,  $v_{shear} \sim 53\text{ km/s}$ ,  $c_{A,asym} \sim 74.5\text{ km/s}$ 
    - Reconnection would not happen in Cowley and Owen (1989) model
    - Certainly would in new model



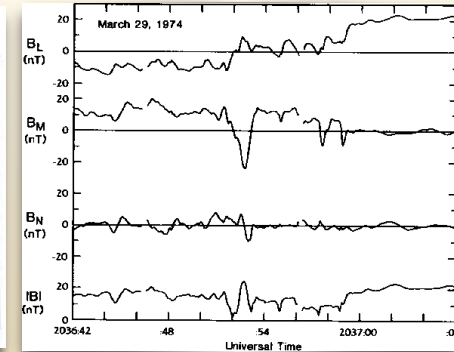
Wilder et al., 2014

# Potential Application - FTE Motion

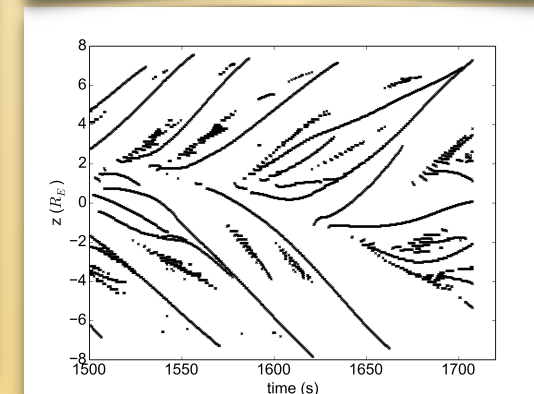
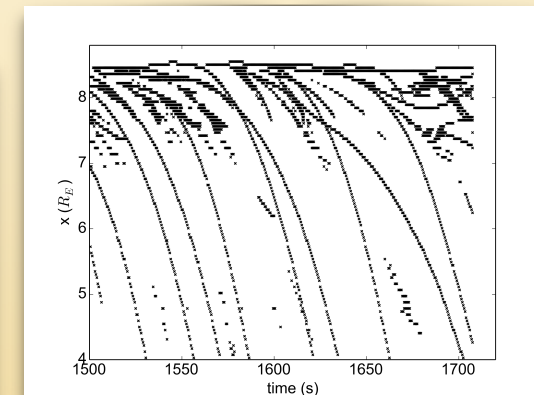
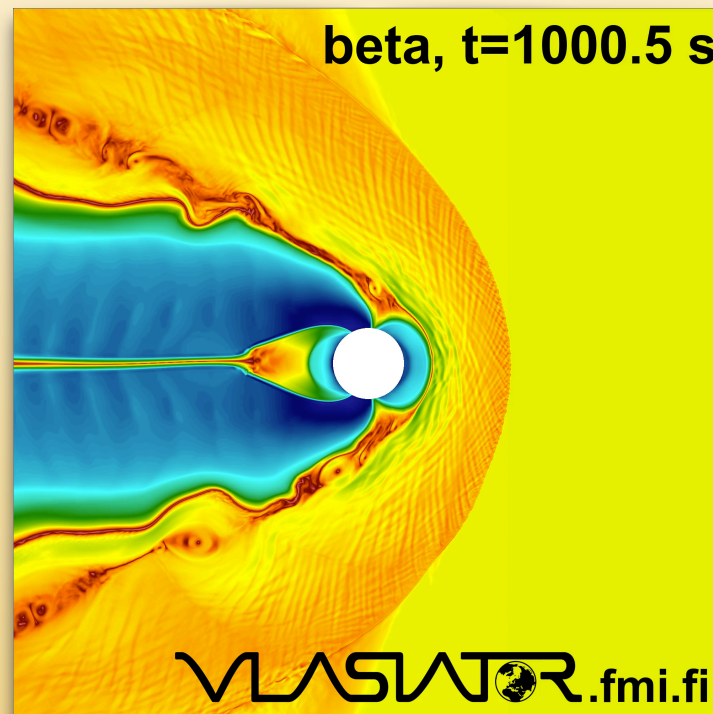
- FTEs are flux ropes/islands/plasmoids at the dayside magnetopause (Russell and Elphic, 1978)
  - Convect tailward; leading model is by Cowley and Owen, 1989
- Does new result impact understanding of FTE motion?
  - Seen in many simulations: global fluid (Berchem et al., 1995), hybrid (Omidi and Sibeck, 2007), in BATS-R-US simulations (Dorelli and Bhattacharjee, 2009)
  - New 2D Vlasov-fluid hybrid global magnetospheric code Vlasiator (Palmroth et al., 2012)
    - Copious production of FTEs
- How to address motion (following Omidi and Sibeck)
  - Locate center of FTEs
  - Track position as a function of time
  - Left plots: x and z position of FTEs as a function of time
    - Will be testing models (w/S. Hoilijoki)



Russell and Elphic, 1978

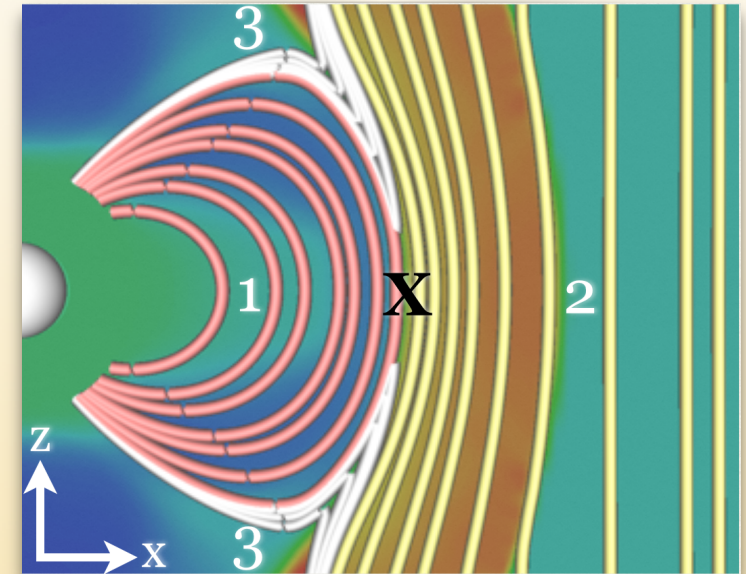


Russell, 1990



# Does Local Picture Work in Global?

- (Eventual) goal - given conditions in solar wind, predict global and local reconnection rates
  - Modest first step - determine whether the (2D) predictions of local reconnection work in the (3D) magnetospheric geometry
    - Non-trivial! Has not been easy to even locate where dayside reconnection happens!
- For southward IMF (and no dipole tilt), finding reconnection is relatively easy
  - Magnetosheath and terrestrial magnetic fields are anti-parallel; reconnection happens in the ecliptic
    - Reconnection happens along a curve, not at a single point
  - Reconnection site is easy to pick out; it is where four topologies of magnetic field meet
    - Most previous studies use this geometry
- For oblique IMF, finding reconnection is very challenging!
  - No first principles way to predict its location, though maximum magnetic shear model (Trattner et al., 2007) and others get you close
    - How can 2D theory be tested if reconnection site can't even be located?!?
  - Good news - reconnection is still identifiable as location where four topologies meet
    - Called many things: “reconnection line”, “separator”; we call it “X-line”
      - Note, separators are neither necessary nor sufficient to identify reconnection sites in general, but in magnetospheric geometry the concept works very well



From C. M. Komar

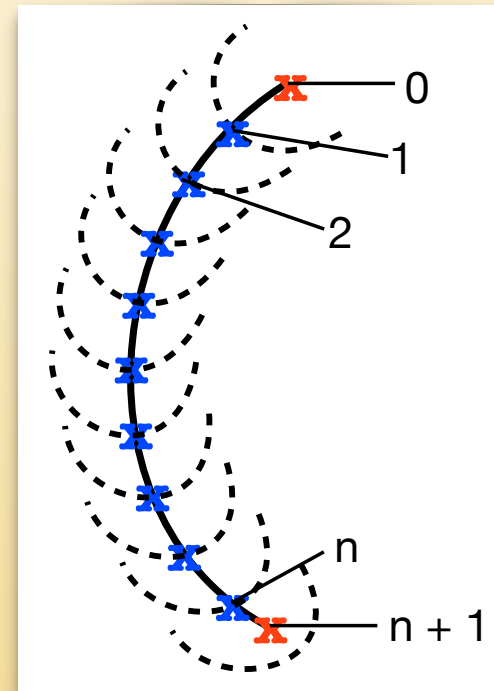
# Finding Reconnection Sites (X-lines)

- Solar context

- Intersection of separator surfaces (Longcope and Cowley, 1996)
- Progressive Interpolation Method (PIM) (Close et al., 2004)
- Simulated annealing (Beveridge, 2006)

- Magnetospheric context

- Map of field topology in a given plane (Dorelli and Bhattacharjee, 2009)
- Sample topology, find where it changes along where separator (X-line) should be (Laitinen et al., 2006; 2007)
- March from magnetic nulls with structure at rings (Haynes and Parnell, 2010)
- Simple, robust method to find X-line (separators) (Komar et al., 2013)
  - Locate magnetic nulls (X) (Haynes and Parnell, 2007)
  - Center hemisphere at null, find topology of field lines on surface
  - Find point where topologies meet (X), center new hemisphere there
  - Repeat until other null is encountered
    - Works independent of IMF conditions, works to desired accuracy
- Recent improvements (Glocer et al., 2016)
  - Extension of above to be more efficient and allow for bifurcating X-lines (FTEs)
  - Find intersection of separator surfaces
  - Find X-line location in collection of planes; more efficient than above mechanism



Komar et al., 2013

We used Komar et al. (2013) approach to find reconnection in many global MHD simulations

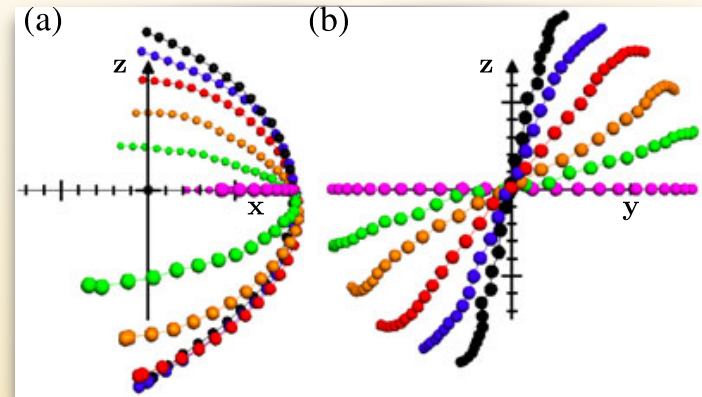


# Local Properties of Reconnection

- Top plot - result of finding X-lines in simulations with different IMF clock angle (Komar et al., 2013)

- Used BATS-R-US at NASA's CCMC (should work for any code though)

- 3D resistive MHD, rectangular & irregular grid, highest resolution is  $1/8 R_E$
- No dipole tilt with steady solar wind with no  $B_x$  (in GSM) for simplicity
- Typical simulation -  $B_{IMF} = 20$  nT,  $n_{SW} = 20$  cm<sup>-3</sup>,  $v_{SW,x} = -400$  km/s,  $T_{SW} = 20$  eV ( $\beta_{SW} = 0.4$ )
- Explicit resistivity  $\eta/\mu_0 = 6.0 \times 10^{10}$  m<sup>2</sup>/s



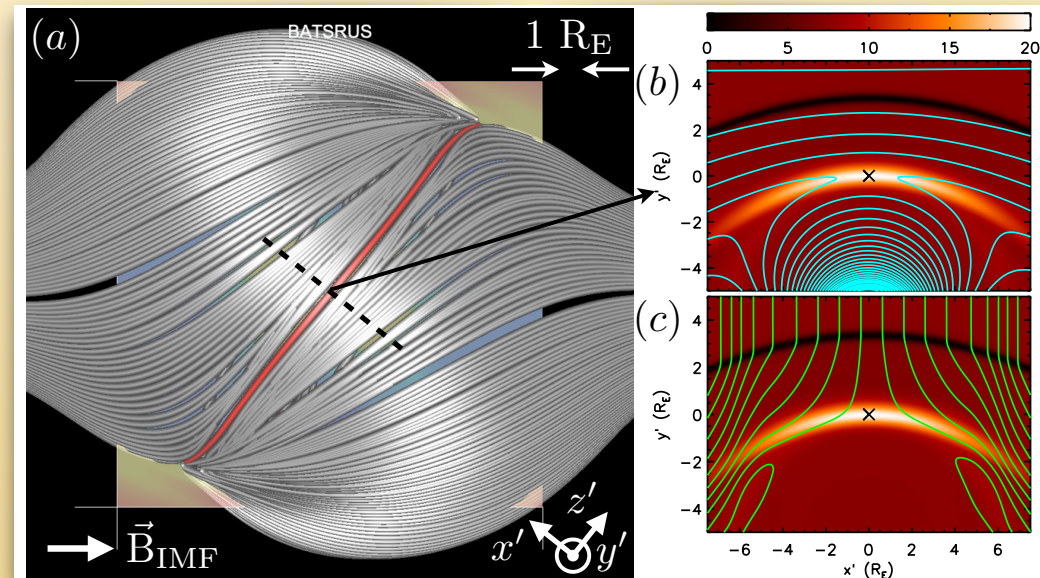
Komar et al., 2013

- Now we can test whether 2D models work in 3D (Komar and Cassak, submitted)

- It is usually assumed that the plane of reconnection is normal to X-line
  - Not rigorous (Parnell et al., 2010)

- Sample result (bottom left):  $\theta_{IMF} = 90^\circ$

- Reconnection plane through subsolar point
  - Lots of symmetry; generally symmetry is broken (asymmetric in  $x'$ ; Murphy et al., 2010)
- Plots show in-plane field lines in blue and in-plane flow lines in green
  - Qualitatively similar to 2D asymmetric reconnection



Komar and Cassak, submitted

# Towards Quantifying Local Reconnection

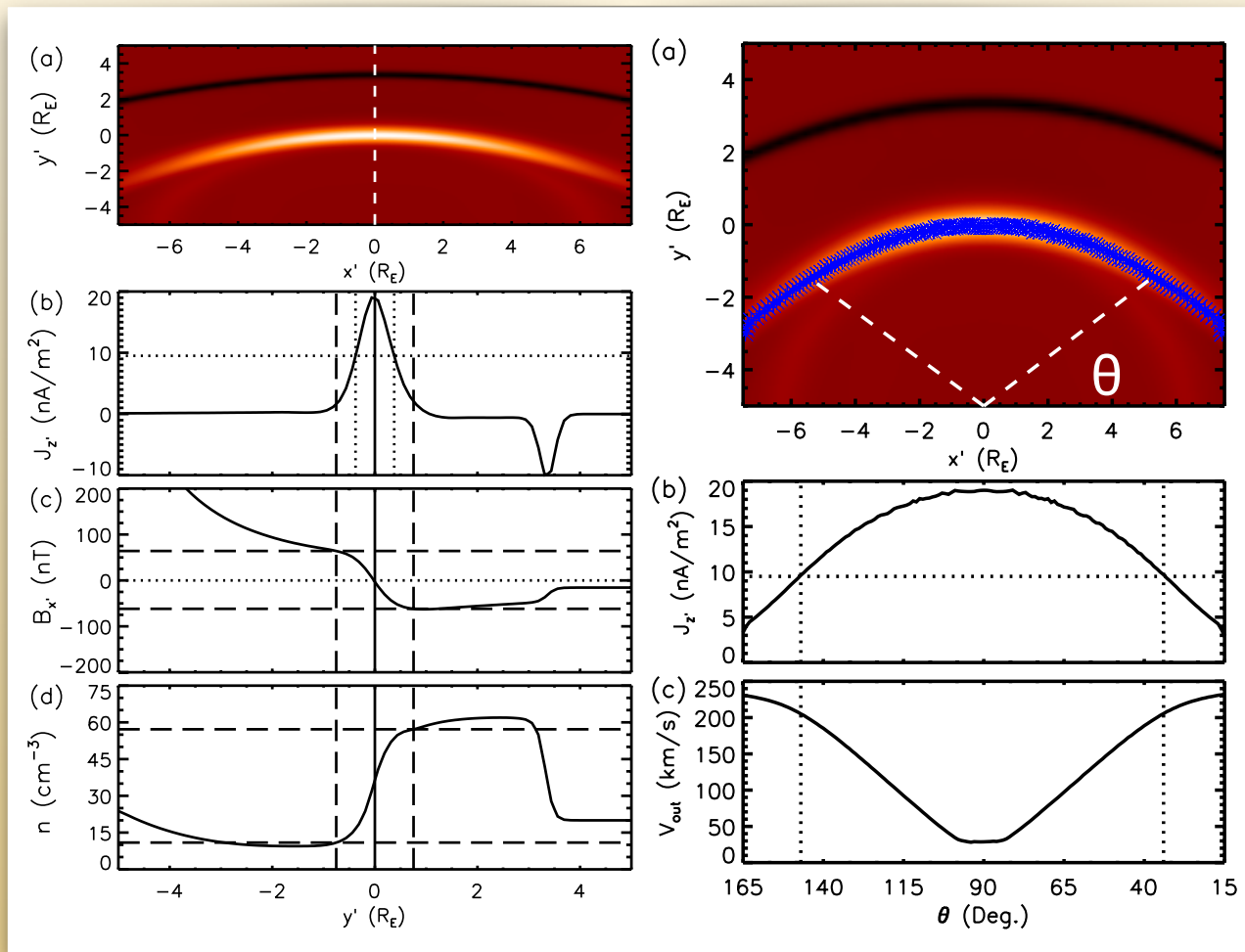
- To compare to 2D models of reconnection, we need to measure *local* plasma parameters in reconnection planes (all of them!) (Komar and Cassak, submitted)

- Inflow direction (left plot):

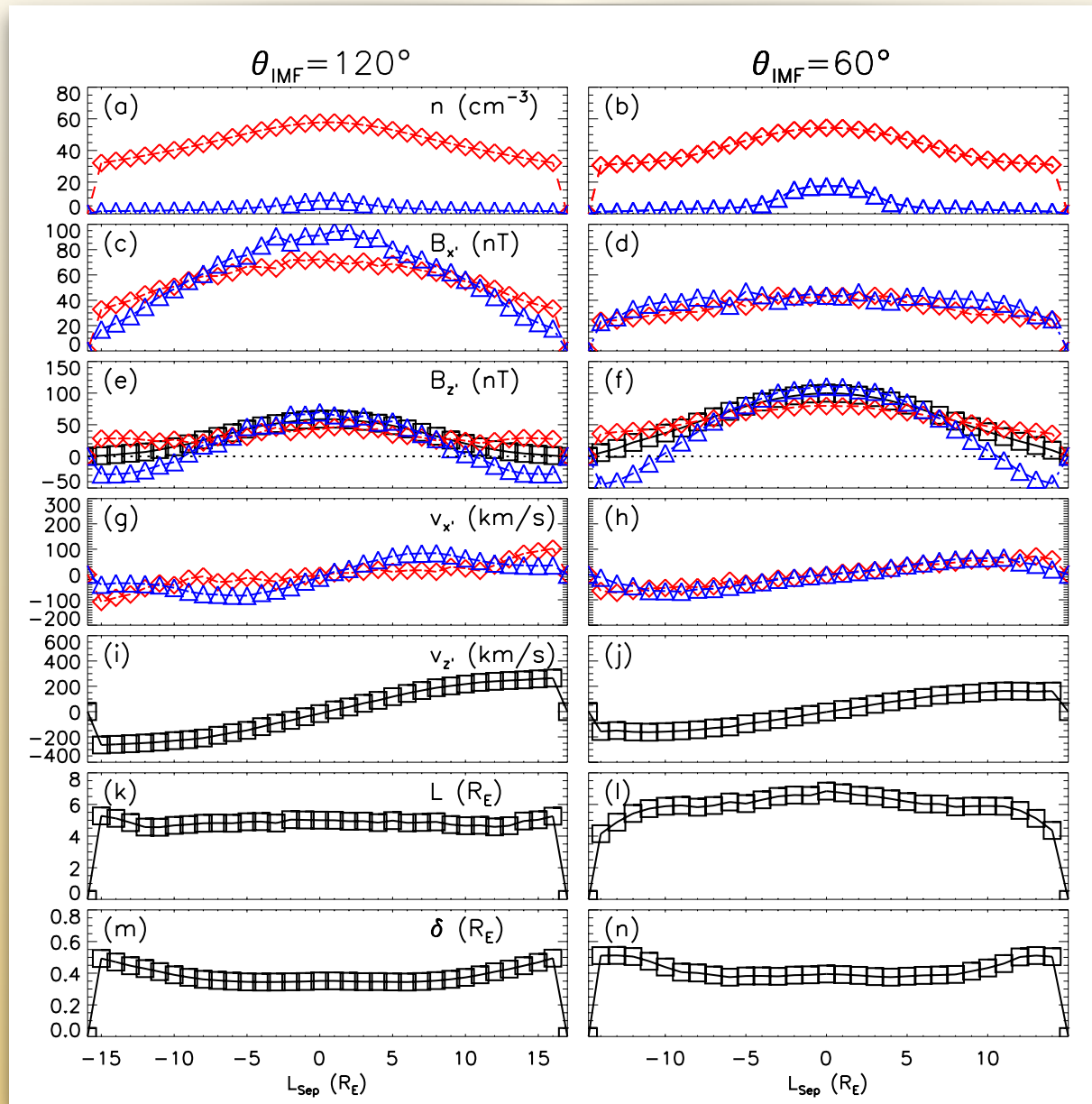
- HWHM of  $J_z$  in  $y'$  direction is thickness  $\delta$ 
  - $0.76 R_E$  here
- Measure plasma parameters  $2\delta$  upstream from peak in current
  - $B_{SH,x'} = -61 \text{ nT}$ ,  
 $n_{SH} = 57 \text{ cm}^{-3}$
  - $B_{MS,x'} = 64 \text{ nT}$ ,  
 $n_{MS} = 11 \text{ cm}^{-3}$

- Outflow direction (right plot):

- In cuts, find max of  $J_z$  as a function of  $\theta$
- HWHM of  $J_z$  along sheet is length  $L$ 
  - $5.84 R_E$
- Find  $v_{out}$  at same location



# Upstream Parameters Along X-line



# Quantifying Dayside Reconnection

- Can test local reconnection models (Komar and Cassak, submitted)
  - Test simplest asymmetric reconnection model (Cassak and Shay, 2007)

$$E \sim \frac{B_{MS,x'} B_{SH,x'}}{B_{MS,x'} + B_{SH,x'}} c_{A,out} \frac{2\delta}{L}$$
$$E \sim \sqrt{\frac{\eta c_{A,out}}{\mu_0 L} B_{MS,x'} B_{SH,x'}}$$

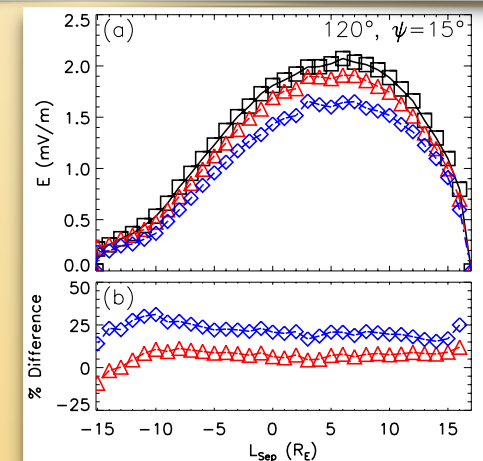
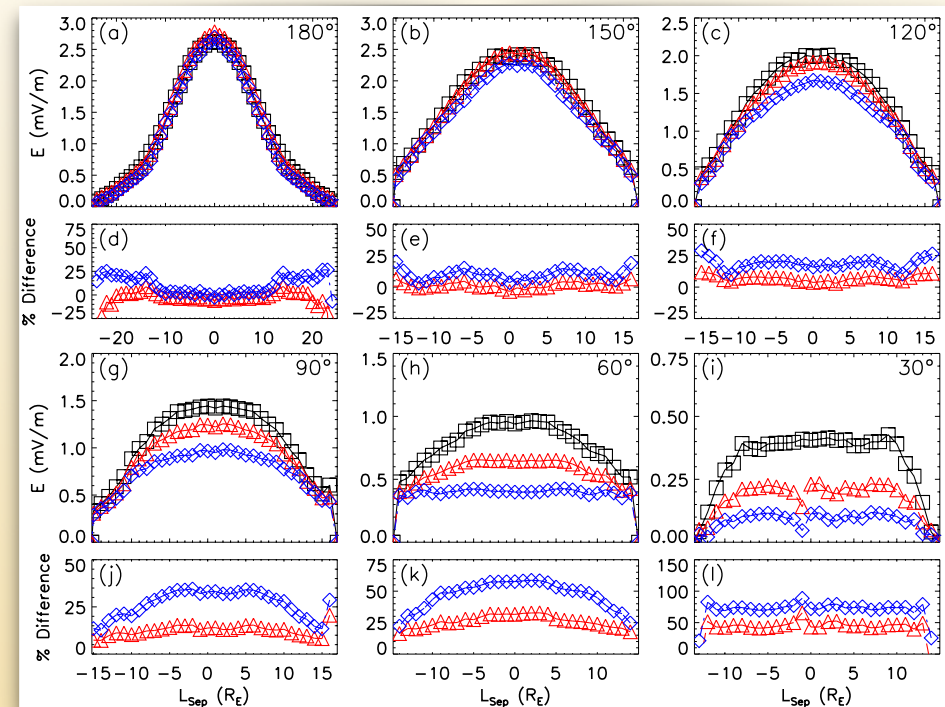
$$c_{A,out}^2 \sim \frac{B_{MS,x'} B_{SH,x'}}{\mu_0} \frac{B_{MS,x'} + B_{SH,x'}}{\rho_{SH} B_{MS,x'} + \rho_{MS} B_{SH,x'}}$$

- Previous tests:
  - Global simulations - worked with/without plumes in BATS-R-US (Borovsky et al., 2008), agreement “reasonable” with LFM (Ouellette et al., 2014)
    - All of these studies were for special case of essentially due-southward IMF
  - Observations - best fit of data from Polar (Mozer and Hull, 2010), recent study of multiple events (Wang et al., 2015)
- Model limitations
  - Does 2D model work in 3D magnetosphere?!?
  - Theory has no guide field, no magnetosheath flow
  - Theory ignores asymmetry in outflow direction (Murphy et al., 2010)



# Results

- Test for various clock angles, Black - measured  $E$ , blue - general prediction, red - resistive prediction
  - Agreement for  $\theta_{\text{IMF}} = 180^\circ$  is excellent!
    - Agrees with Borovsky et al., 2008; Ouellette et al., 2014
  - Agreement in absolute sense becomes worse for lower clock angles
  - % difference relatively flat in subsolar region; implies agreement in scaling sense
- Test of robustness: check results in system where all symmetries are broken
  - $\theta_{\text{IMF}} = 120^\circ$  with a dipole tilt of  $15^\circ$  (northern hemisphere tilted towards sun)
  - Similar scaling agreement to no dipole tilt case
- Conclusion of this study so far (Komar and Cassak, submitted):
  - With only few assumptions, comparison between global resistive-MHD simulations and a small set of overly simplistic 2D prediction shows:
    - Exceptional agreement for due southward IMF
    - Very good agreement in a scaling sense for oblique IMF (including northward IMF!)
      - Northward IMF cases very interesting; reconnection rate is peaked near subsolar point! (Glocer et al., 2016)
  - A systematic effect leads to poorer agreement in the absolute sense for oblique IMF



# Summary and Discussion

- First principles prediction of solar wind-magnetospheric coupling requires an understanding of local and global properties of dayside reconnection
- Local
  - We have a prediction for the convection speed of isolated X-lines and the reconnection rate for asymmetric reconnection with arbitrary upstream parallel flows (Doss et al., 2015)
    - Assumptions: “isolated” current sheet (no line tying), 2D, anti-parallel reconnection, no asymmetries in outflow direction, no flow in out-of-plane direction, used fluid theory
  - Significant departures from standard expectations
    - Effect on reconnection rate is minimal for typical magnetopause parameters; requires solar wind speed much bigger than Alfvén speed to suppress reconnection
    - May have something to say about tailward motion of FTEs (Cowley and Owen model)
- Global
  - 2D predictions agree very well in a scaling sense for oblique IMF (for systems we tested) (Komar and Cassak, submitted)
- Discussion and future directions
  - Local
    - Need to include out-of-plane (guide) magnetic fields
      - Non-trivial - introduces diamagnetic drifts (Swisdak et al., 2003; Phan et al., 2013)
        - » Only know of one study - Tanaka et al., 2010
    - Asymmetric outflow (Murphy et al., 2010; Oka et al., 2011)
    - Flow in the out-of-plane direction (only a few)
    - Manifestly 3D effects?
  - Global
    - How does local picture of reconnection fit in to global considerations?

